

Formation Control of Multiple Robotic Fish

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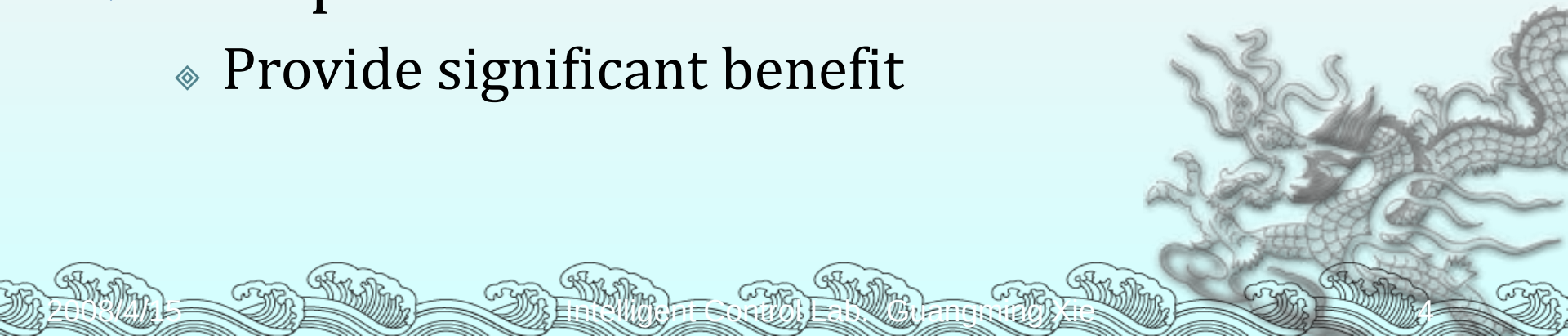
Our Goal

How did the
magician
realize this?



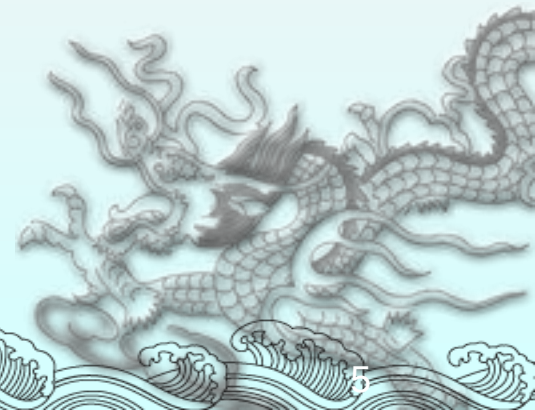
Introduction

- ◆ Application Background
 - ◆ Ocean mapping and exploration
 - ◆ Water environment surveillance
 - ◆ Autonomous underwater weapon
- ◆ Multiple underwater robot coordination
 - ◆ Provide significant benefit



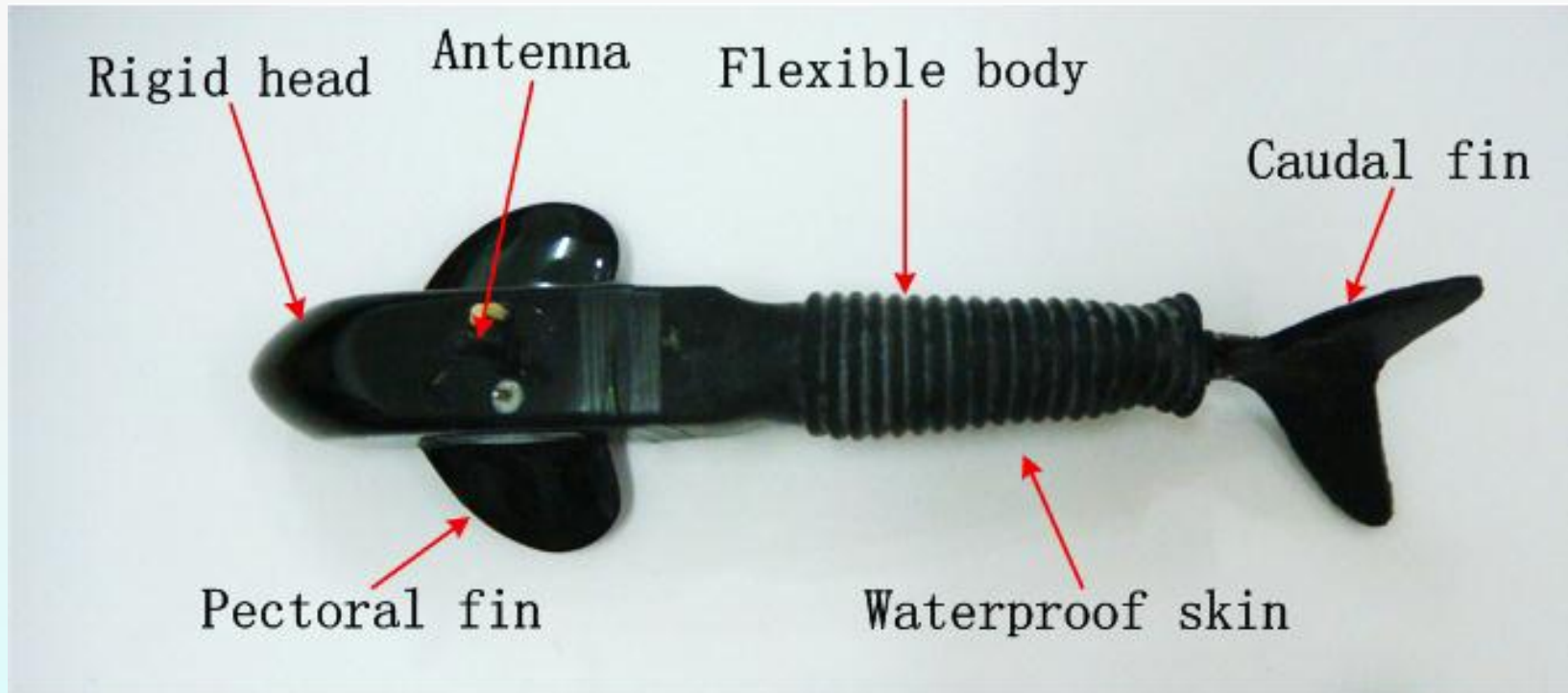
Introduction

- ◆ Formation Control
 - ◆ Basic problem of MRS
 - ◆ base of high level applications
 - ◆ Many results on wheeled robots/vehicles
 - ◆ Simulation & Physics
 - ◆ Few results on underwater robots
 - ◆ Simulation
 - ◆ No results on robotic fish
 - ◆ No Simulation



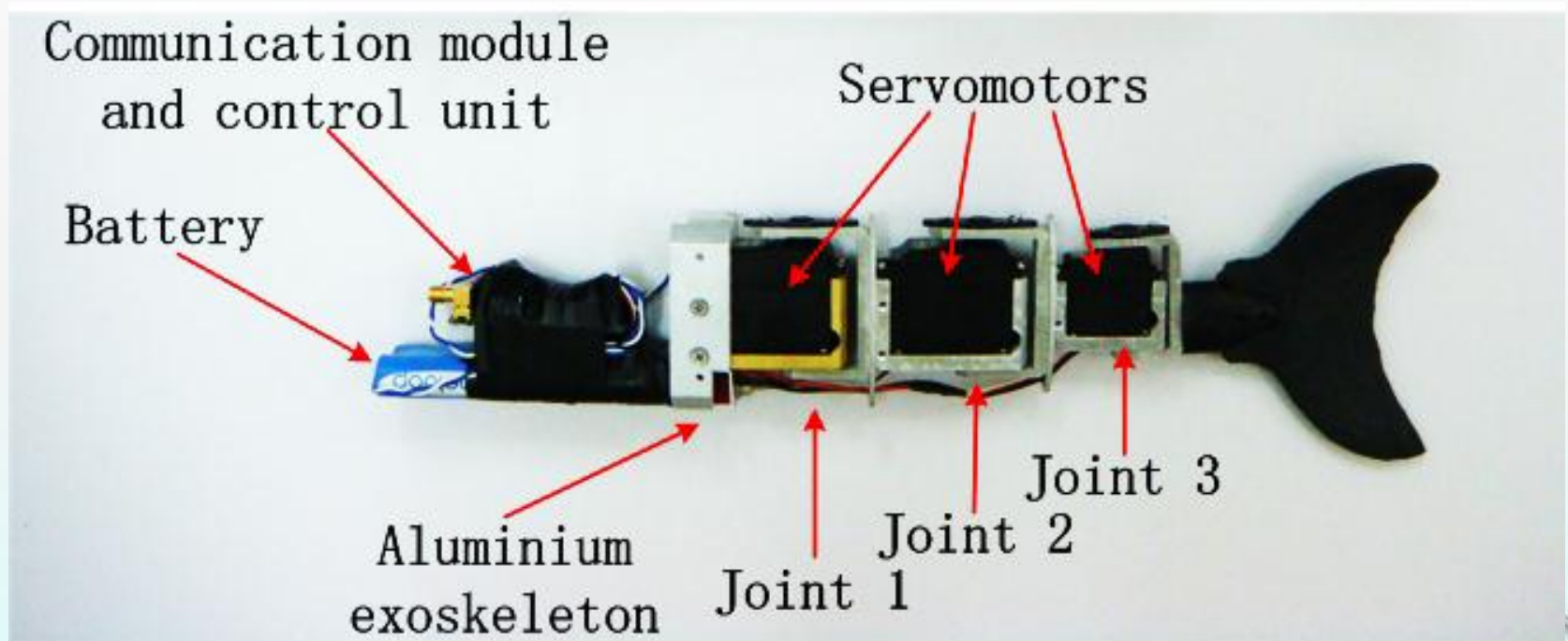
Introduction

◆ Robotic Fish



Introduction

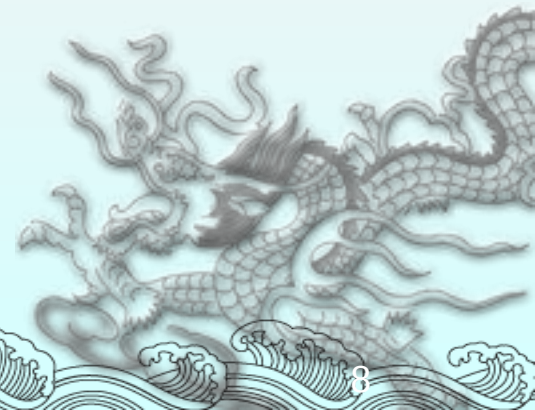
◆ Robotic Fish



[Robotic Fish Video](#)

Problem Description

- ◆ We consider N robotic fish, $i=1,\dots,N$, swimming in the same plane.
- ◆ For the i th robotic fish, we denote
 - ◆ (x_i, y_i) : the position
 - ◆ θ_i : the direction angle
 - ◆ v_i : the line speed
 - ◆ ω_i : the angle speed



Formation Problem I

◆ [Static Formation] Given a set of desired positions (x_{fi}, y_{fi}) , $i=1, \dots, N$, we have

i) $(x_1, y_1) - (x_{f1}, y_{f1}) = \dots = (x_N, y_N) - (x_{fN}, y_{fN})$

ii) $\theta_1 = \dots = \theta_N$

Formation Problem II

◆ [Moving Formation] Given a set of desired positions (x_{fi}, y_{fi}) , $i=1, \dots, N$, we have

i) $(x_1, y_1) - (x_{f1}, y_{f1}) = \dots = (x_N, y_N) - (x_{fN}, y_{fN})$

ii) $\theta_1 = \dots = \theta_N$

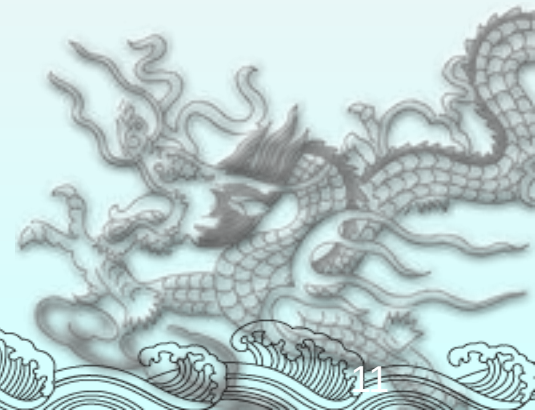
iii) $v_1 = \dots = v_N$

iv) $\omega_1 = \dots = \omega_N$



Control Law

- ◆ Line speed and angle speed are control inputs
 - ◆ v, ω
- ◆ Local information based
 - ◆ Communication graph
- ◆ Absolute coordinate information is used
 - ◆ Position (x, y)
 - ◆ Angle $\theta = \theta + 2k\pi$

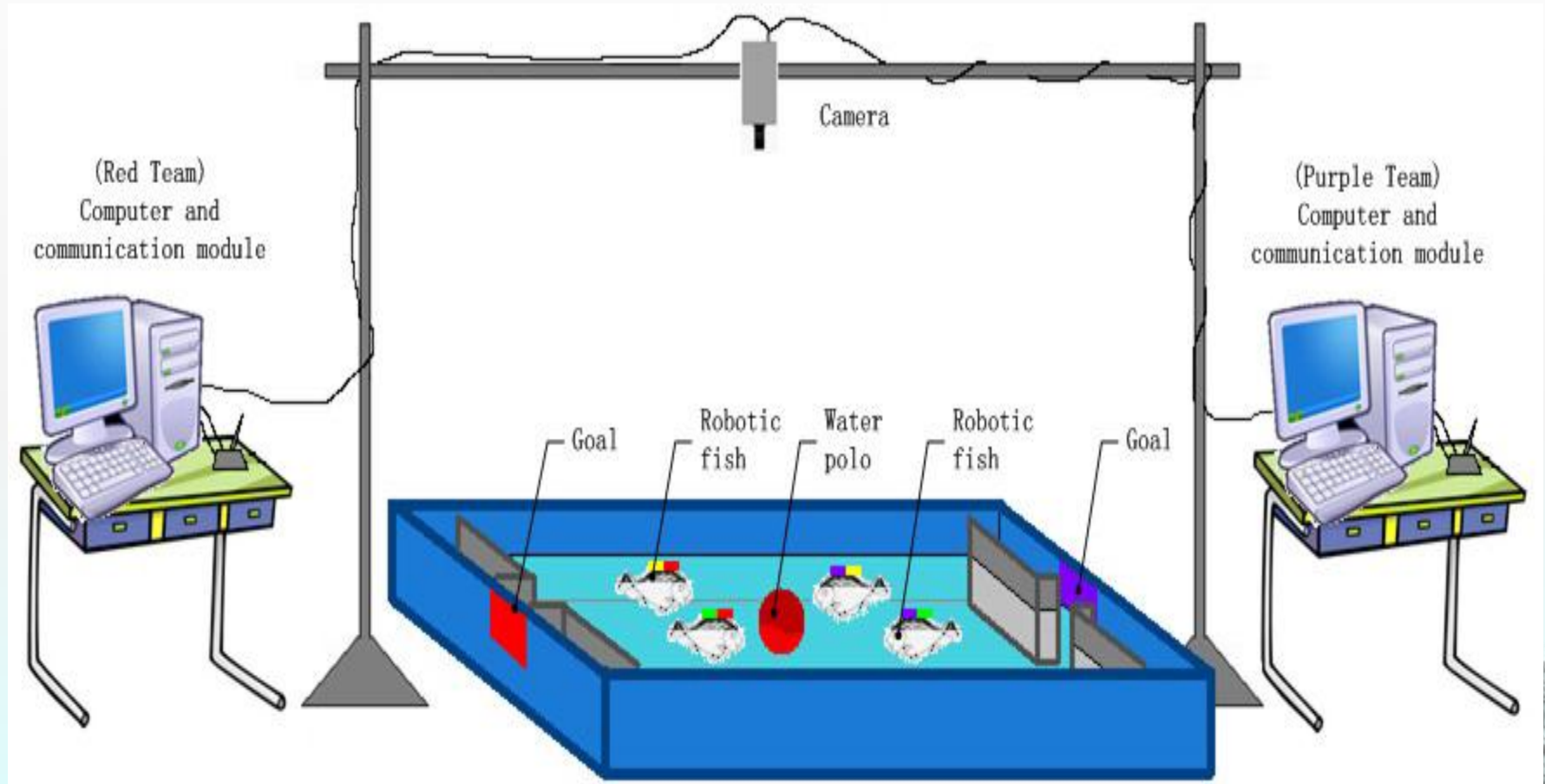


Information Obtaining

- ◆ No sensor on the robot
 - ◆ Focus On Motion Control
- ◆ Video From Global Camera
 - ◆ Global Obtaining
 - ◆ Local Using
- ◆ Getting Posture Knowledge From Image
 - ◆ Image Process
 - ◆ Real Time

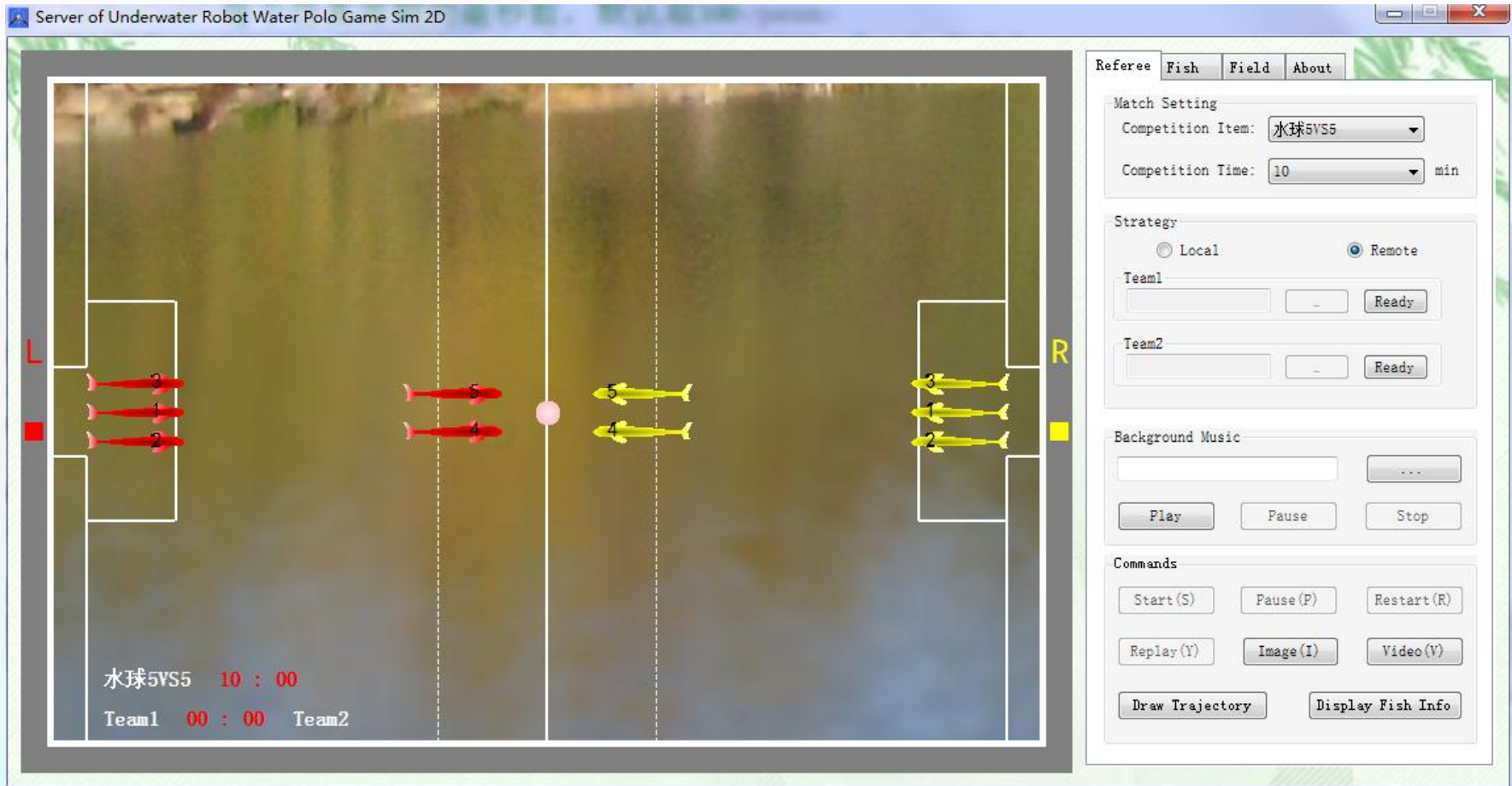


2D Experiment Platform



[Robotic Water Polo Video](#)

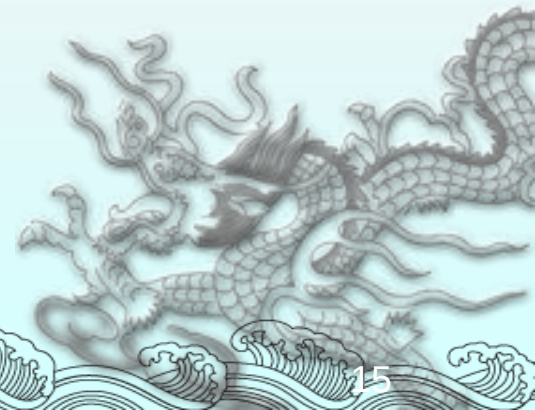
2D Simulation Platform



[Robotic Water Polo 2D-Sim Video](#)

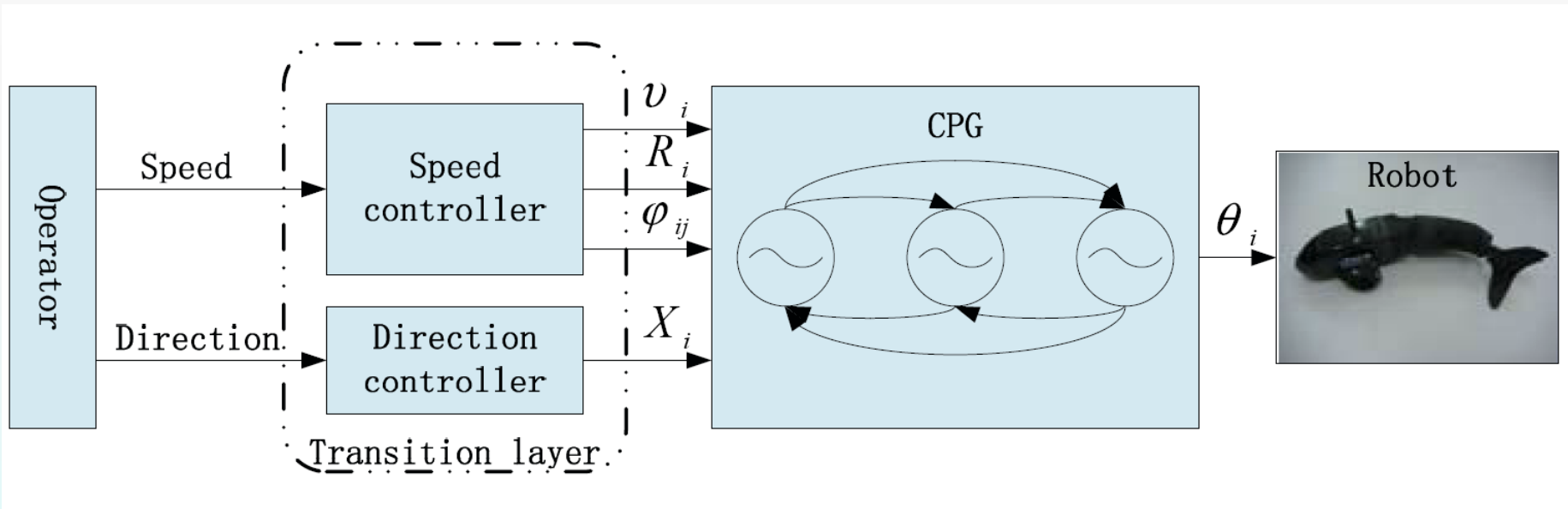
Difficulties

- ◆ Without dynamical equation
- ◆ Cannot move backward
- ◆ Cannot stop
- ◆ Float in the water always
- ◆ Coarse posture information

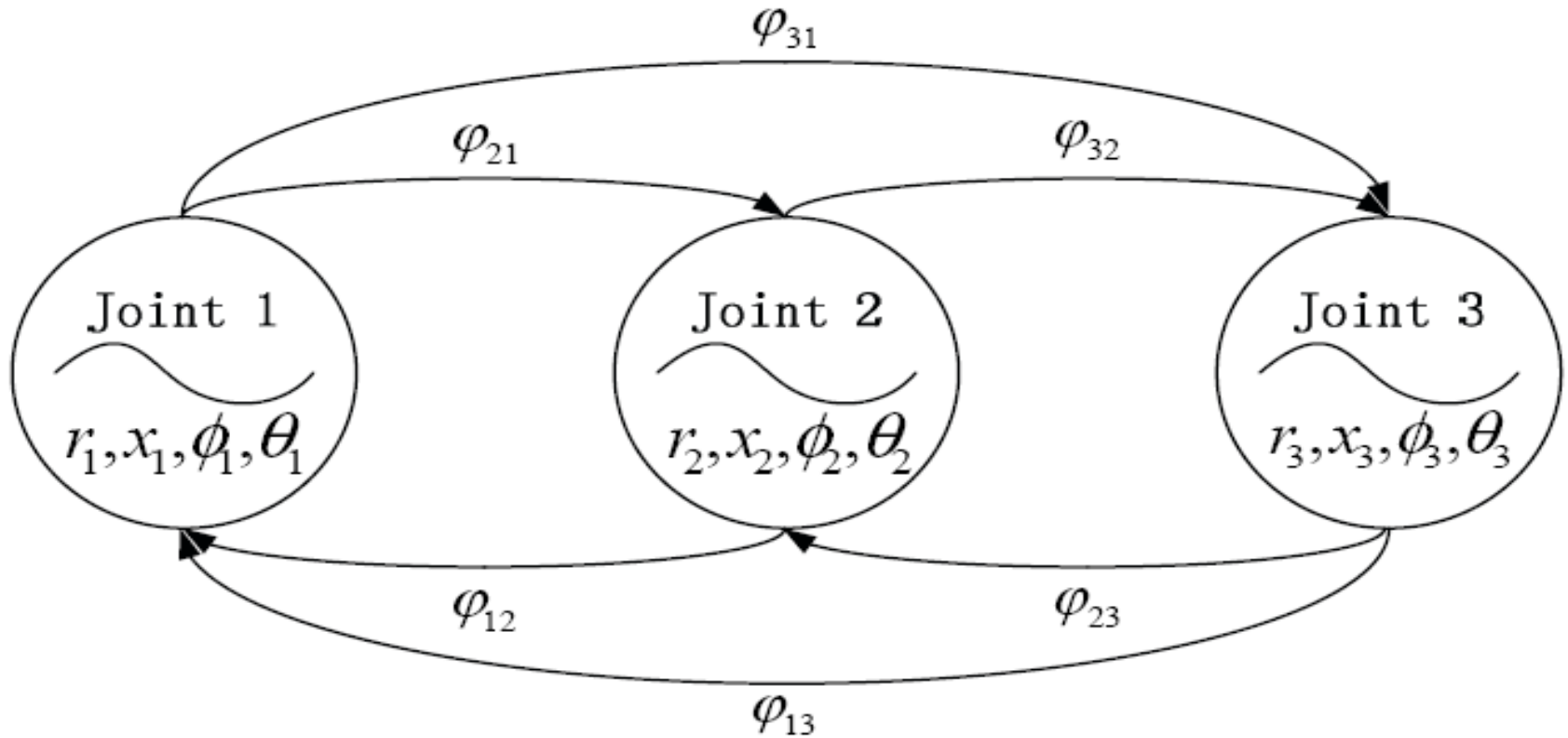


Locomotion Control of RF

◆ Central Pattern Generator(CPG)-based



CPG Network



CPG Oscillator

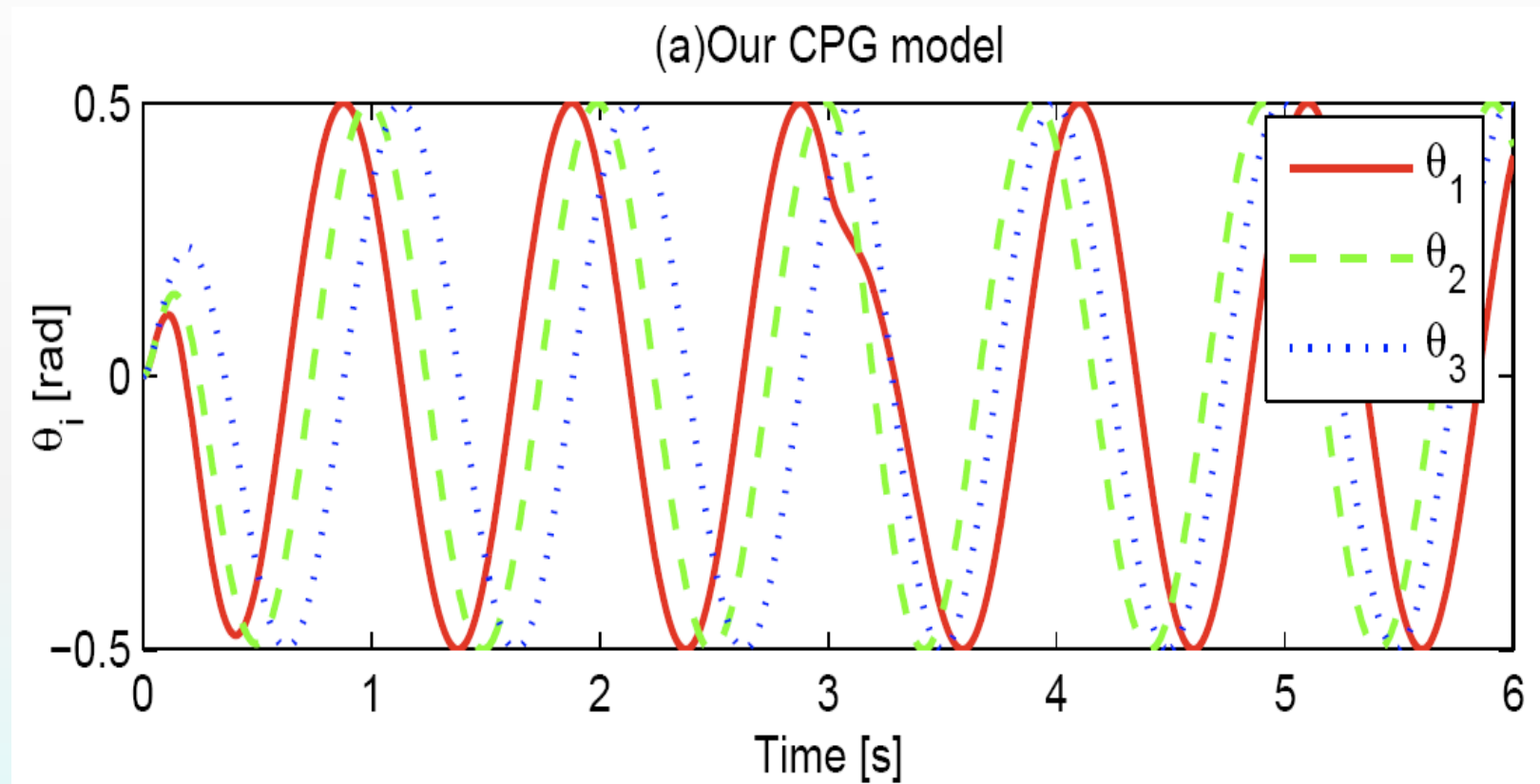
$$\ddot{r}_i(t) = \alpha_i[\alpha_i(R_i - r_i(t)) - 2\dot{r}_i(t)]$$

$$\ddot{x}_i(t) = \beta_i[\beta_i(X_i - x_i(t)) - 2\dot{x}_i(t)]$$

$$\ddot{\phi}_i(t) = \sum_{j=1, j \neq i}^N \mu_{ij} \left[\mu_{ij} (\phi_j(t) - \phi_i(t) - \varphi_{ij}) - 2 \left(\dot{\phi}_i(t) - 2\pi\nu_i \right) \right]$$

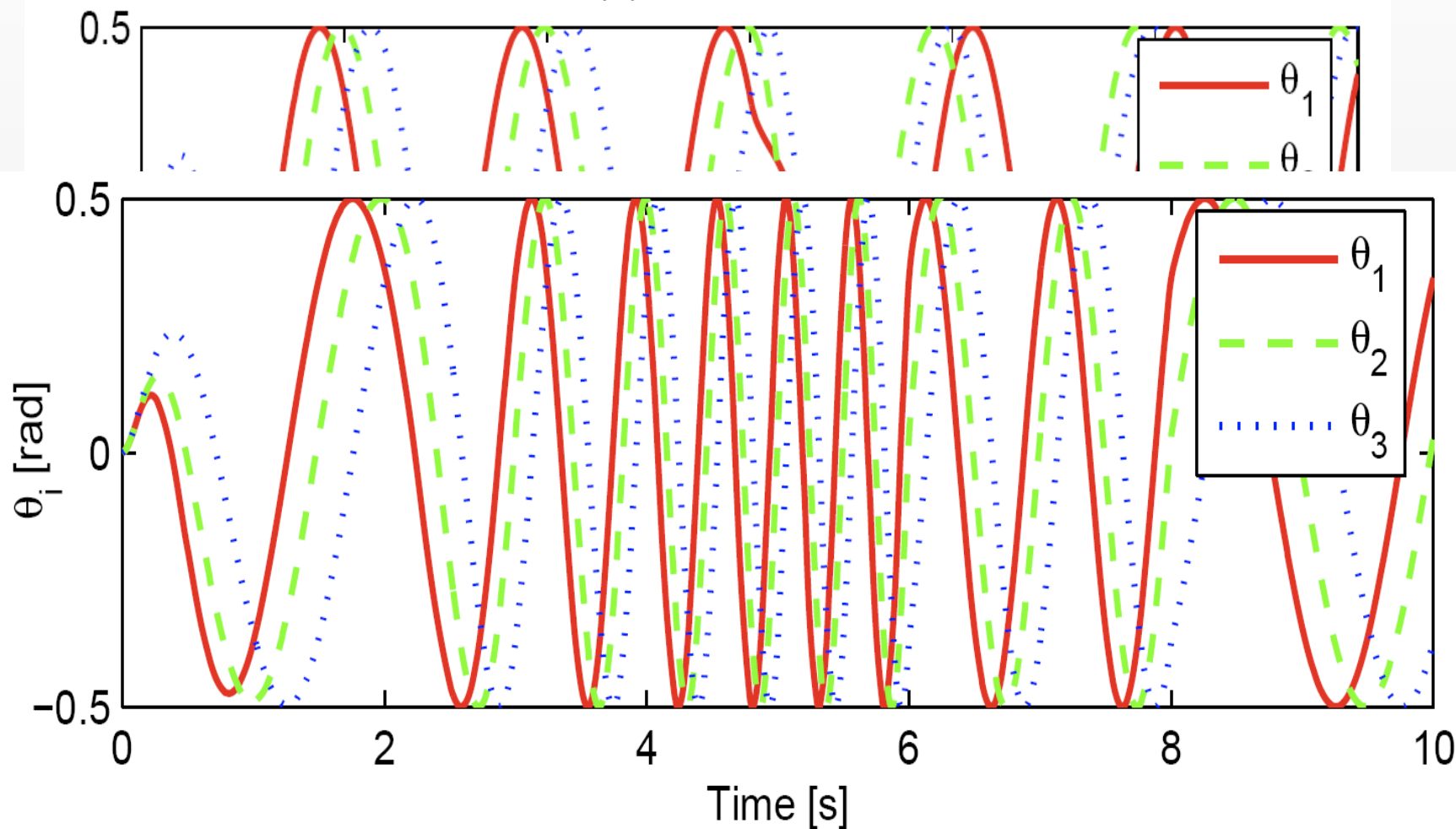
$$\theta_i(t) = x_i(t) + r_i(t) \cos(\phi_i(t))$$

Outputs of CPG Network

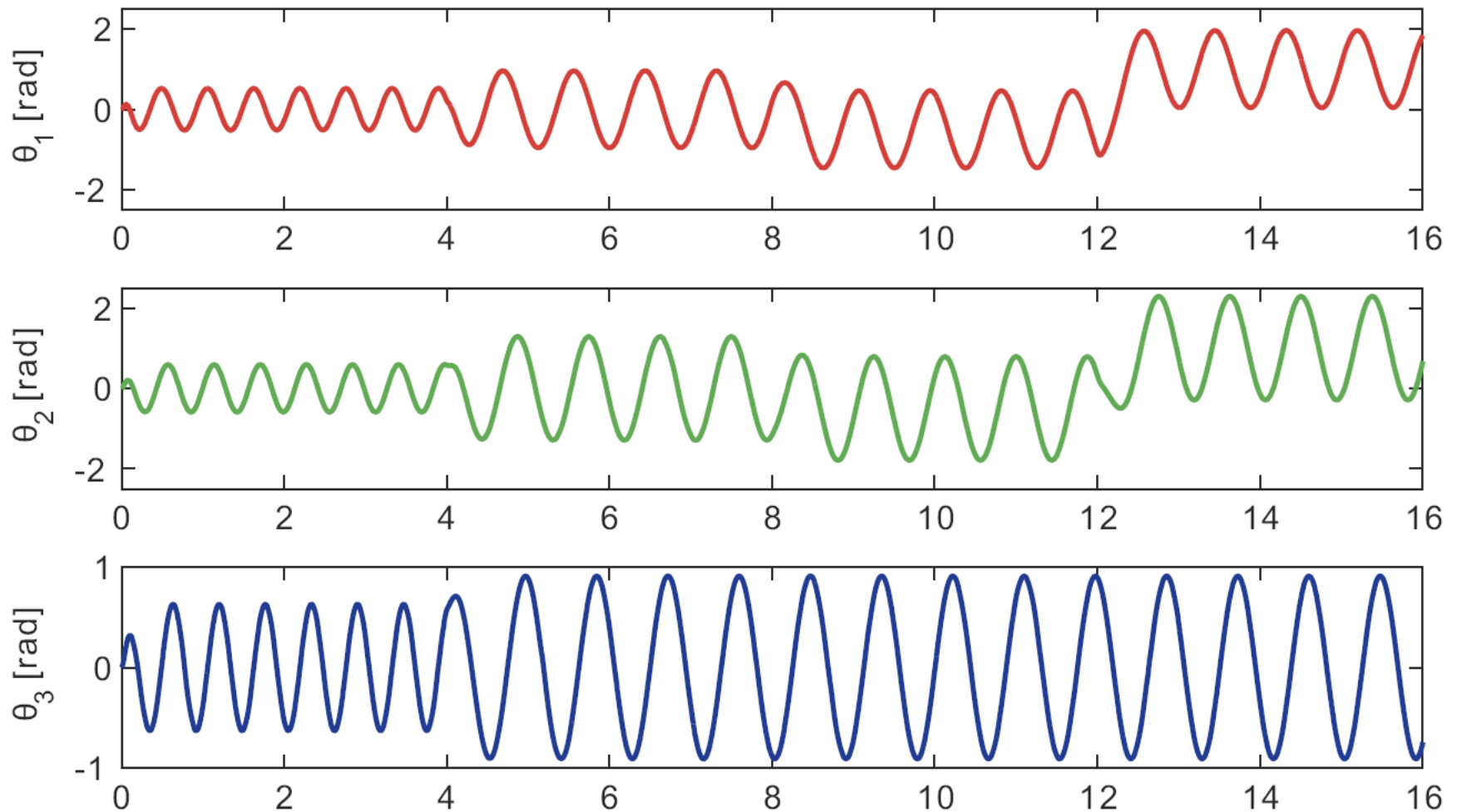


Outputs of CPG Network

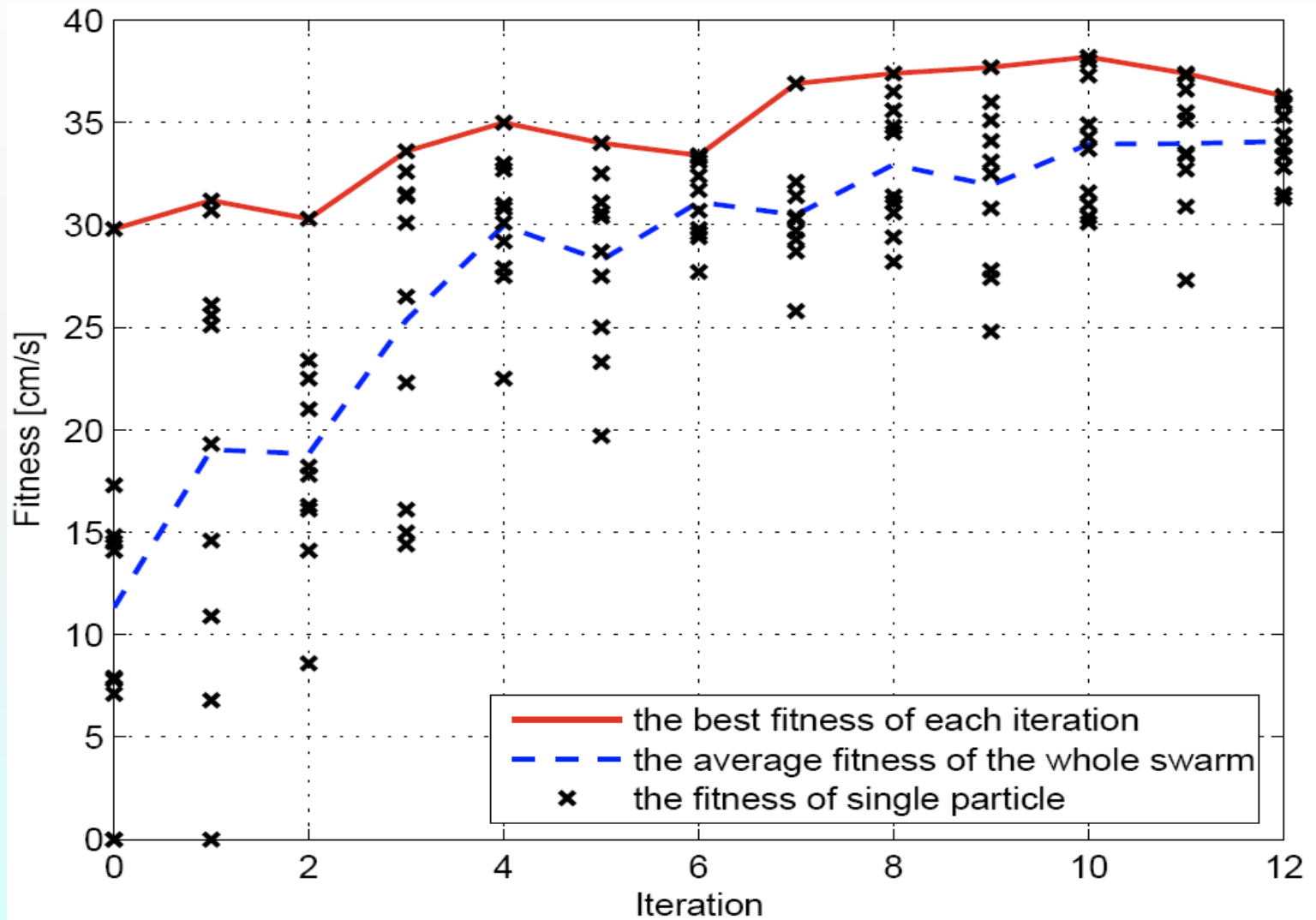
(a) Our CPG model



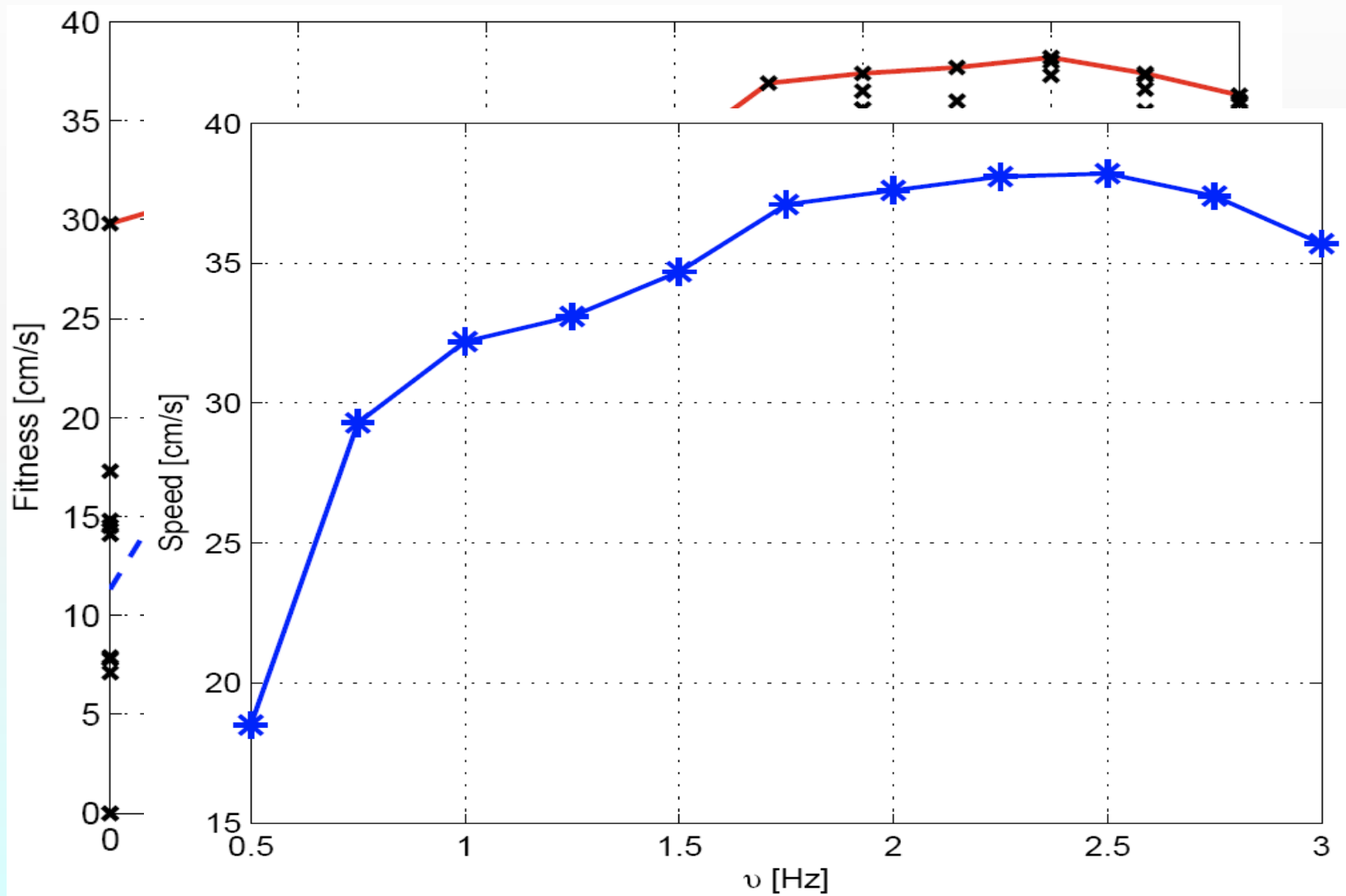
Outputs of CPG Network



Optimization via PSO



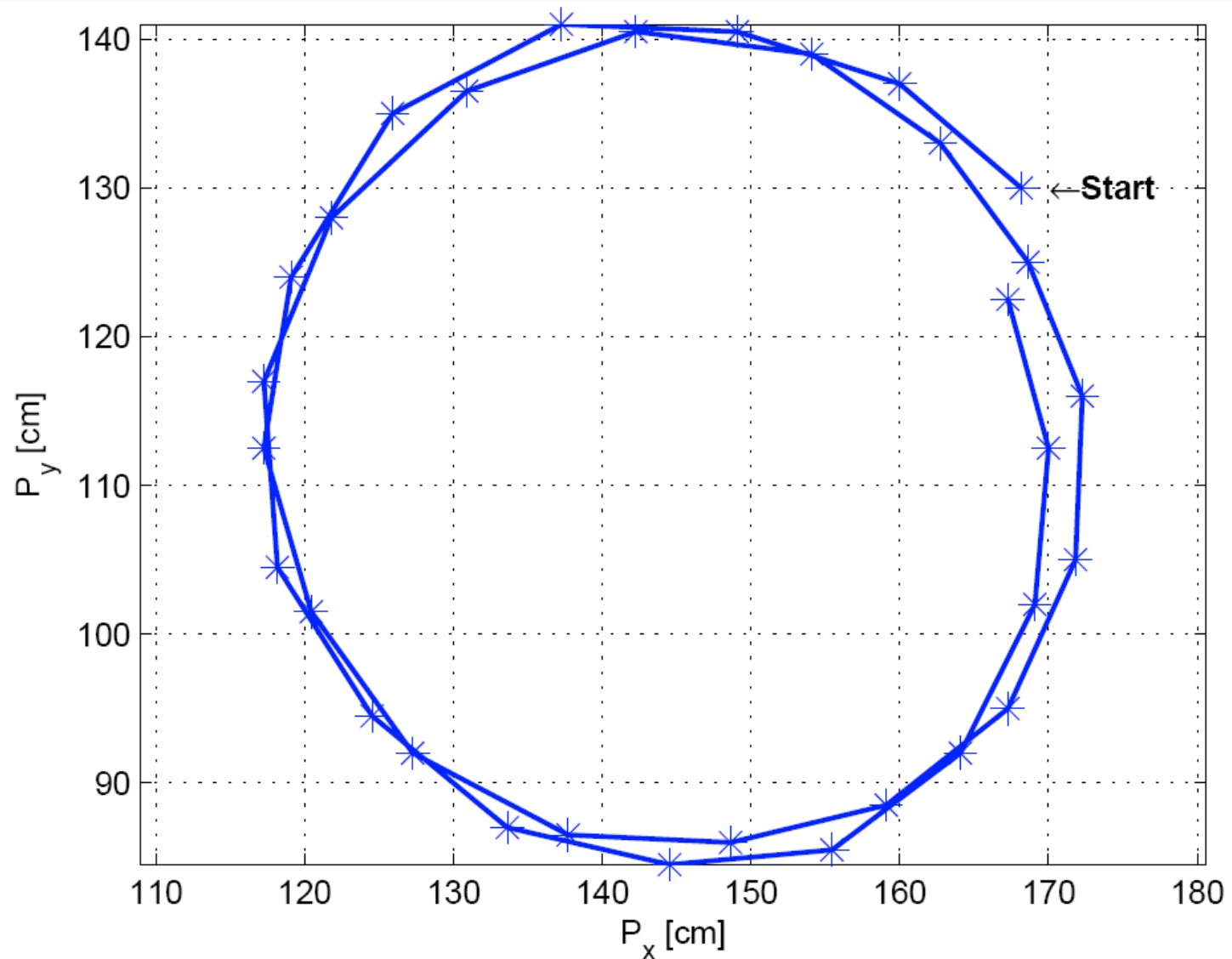
Optimization via PSO



Parameters Reducing

- ◆ From **18** parameters to **2** parameters
 - ◆ *Frequency*: linear speed adjusting
 - ◆ *Offset*: turning radius adjusting
 - ◆ $X > 0$, turning left
 - ◆ $X < 0$, turning right
 - ◆ $X = 0$, swimming forward

$X = -0.5 \text{ rad}$ and $V = 1.0 \text{ Hz}$



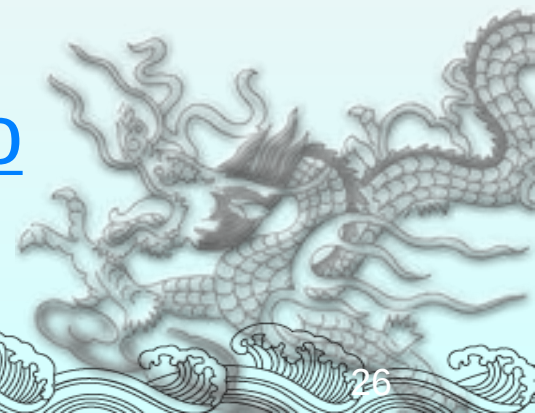
Static Formation

- ◆ Based on Consensus control of first order MAS

- ◆ $y = x - x_f$

- ◆ $dy/dt = -Ly$

[Formation Control 2D-Sim Video](#)



Moving Formation

- ◆ Based on Consensus Control of second order MAS

[Formation Control Video](#)



Conclusion

- ◆ Just at the beginning
- ◆ Interesting but full of Challenge
- ◆ Any collaborations are welcome



Our Goal



**Thank you for your
attention!**

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